HLL cheatsheet	<i>a</i> # <i>b</i> disjunction, true if <i>a</i> is true <i>or b</i> is true
2024-03-22	$a \rightarrow b$ implication, true if either <i>a</i> is false or <i>b</i> is true. Right associative: $a \rightarrow b \rightarrow c$ is
Complete excition available on bal case (acc or bal case (a ca Drever visboite	$a \rightarrow (b \rightarrow c).$
Complete specification available on nai-03294999 of nai-03356342, of Prover website.	$a \leftrightarrow b$ equivalence, true when <i>a</i> is the same as <i>b</i>
	a #! $b$ exclusive disjunction (a.k.a. xor), true if $a$ isn't the same as $b$ (same prece-
Meta variables	dence as <->)
<ul> <li><i>a</i>, <i>b</i> range over boolean expressions;</li> </ul>	true truth, also spelled True or TRUE
• <i>T</i> , <i>U</i> , <i>V</i> range over types;	false falsity, also spelled False or FALSE
• <i>e</i> , <i>t</i> , <i>u</i> range over expressions;	Integer connectives
• v, x, y range over variables.	Connectives are sorted by decreasing precedence: if $\phi$ occurs before + then $a + h \phi c$ is
Names	$a \star (b \diamond c)$ .
Names stand for variables (may they be streams or terms), functions, constants, types	a > b greater than, true when a is strictly greater than b
or namespaces.	$a \ge b$ greater than or equal to, true when a is when greater or equal to b
foo refer to the name foo.	a < b less than, true when <i>a</i> is strictly lower than <i>b</i>
bar::foo refer to the name foo in the namespace bar.	$a \le b$ less than or equal to, true when a is lower or equal to b
Types	$a \gg b$ right shift
heal Booleans	$a \ll b$ left shift
int Integers	- <i>a</i> negation or additive inverse of <i>a</i>
int $\begin{bmatrix} -4 & 32 \end{bmatrix}$ Integer between -4 and 22	$a \star b$ multiplication
int signed 8 8-bit signed integer	a + b addition
int unsigned 8 8-bit unsigned integers	<i>a</i> – <i>b</i> subtraction
tuple $(T, T)$ tuples containing and element of tupe T and and of tupe T	<i>a</i> / <i>b</i> integer division (fractional part is omitted)
tuple $\{T_1, T_2\}$ tuples containing one element of type $T_1$ and one of type $T_2$	a > b floor division (the greatest integer less than or equal to $a$ divided by $b$ )
struct $\{e_1: I_1, e_2: I_2\}$ structure with two fields $e_1$ and $e_2$ respectively of types	a < b ceiling division (the least integer greater than or equal to $a$ divided by $b$ )
$T_1 \text{ dim} T_2$ T $(t_1, t_2)$ multi-dimensional arrays of size $t_1 \times t_2$ of elements of type T	<i>a</i> % <i>b</i> division remainder of <i>a</i> / <i>b</i>
T to $T_{1}$ , $t_{2}$ in the content of the second	<i>a</i> <sup>^</sup> <i>b</i> exponentiation
$I_1 * I_2 \rightarrow u$ functions with two arguments of types $I_1$ and $I_2$ and range $u$	42 integer literal with the value 42
Type declarations and definitions	Temporal operators
enum {red, blue} colour; declare type colour which contains two values	X(e) shift the stream e one cycle forward, read <i>next</i>
sort {flower, grass} < herbs declare sort herbs with two elements	nre(e) shift the stream e one cycle backward read <i>previous</i>
sort herbs, trees < plants declare sorts herbs and trees as sub-sorts of the sort	pre(e, t) like $pre(e)$ but takes value t for initialisation
plants	prete, <i>t</i> ) like prete but takes value <i>t</i> for initialisation
T v; declare $v$ as an alias for type $T$	Quantifiers
Boolean connectives	ALL $v:T$ ( <i>a</i> ) universal quantification, also known as $\forall v \in T, a$
Connectives are sorted by decreasing precedence: if $\diamond$ occurs before $\star$ , then $a \star b \diamond c$ is	SOME $v:T$ (a) existential quantification, also known as $\exists v \in T$ , a
$a \star (b \diamond c)$ .	SELECT $v:T$ (a) the unique element x of domain T, such that expression a, with v
~ <i>a</i> negation, true when <i>a</i> is false	substituted by <i>x</i> , becomes true. Undefined, if there is no such a single element.
<i>a</i> & <i>b</i> conjunction, true if <i>a</i> is true <i>and b</i> is true	Also known as $\exists ! v \in T, a$ .

SUM *k*:*T* (*e*) also known as  $\sum_{k \in T} e$ . If *T* is empty, evaluates to o.

**PROD** *k*:*T* (*e*) also known as  $\prod_{k \in T} e$ . If *T* is empty, evaluates to 1.

\$min v:T (*e*) the minimal element among the set  $\{e \mid v \in T\}$ 

\$max v:T (*e*) the maximal element among the set  $\{e \mid v \in T\}$ 

## Operators

f(t) application of function f to expression t

t = u expression equality

t != u expression inequality

if a then t else u conditional

if a then  $t_1$  elif b then  $t_2$  else  $t_3$  conditional

( $t \mid p_1 \Rightarrow t_1 \mid p_2 \Rightarrow t_2$ ) reduces to  $t_1$  if t matches pattern  $p_1$  and to  $t_2$  if t matches  $p_2$ ; patterns are terms which may contain the wildcard \_

t.2 third element of tuple t

t.e access field e of structure t

t[2] third element of array t

## Sections

All declarations and definitions must occur in a section.

Inputs: free streams

Constants: constant streams (bool or int)

Types: type declarations and definitions Declarations: stream declarations

Definitions: definitions of declared streams

Constraints: expressions in this section are assumed to hold in all models

Proof obligations: for any expression *a* in this section, if one exhibits a model in which *a* is false, then model checking fails.

Outputs: of the system modelized

## Stream declarations and definitions

v := e; define variable v

T foo(U, V); declare function foo taking two arguments of types U and V, returning a value of type T

foo(x, y) := e; define function foo

T v; declare a free stream v of type T

Namespaces: Foo { ... } declare namespace Foo

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